

SPATIO-TEMPORAL ANALYSIS OF TELECOMMUNICATIONS DATA:

Effects of Residential Shifts and Smartphone Adoption on Mobility
Patterns and Communication Behavior

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INTRODUCTION

- We utilize a large-scale dataset, call detailed records (CDRs).
 - collected for ten months (August 2013 - May 2014)
 - contain over 1.5 billion records per month
 - involve 500,000+ phone numbers
- The effect dynamics of residential shifts and smartphone adoption are examined.
- No comparable dataset combines scale, time depth, and low cost.

- Residential shifts and smartphone adoption are large-scale collective transitions.
 - natural disaster relocations
 - environmental displacements due to industrial pollution
 - technology upgrades in developing countries (Wi-Fi, GPS, and 3G -> 4G)
 - smart devices (smartglasses, Vision Pro)

- Monitoring mobility and communication behaviors provides policy implications.
 - mobile and transportation infrastructure
 - commuter traffic optimization
 - community connectivity evaluation

- Effects of residential shifts are time-variant.
- During shifting periods, shifting users mostly contact with their existing friends.
 - substantial increases in call duration and contact distances
 - mobility is unpredictable along with fixed direction
- Effects instantly fade back to baseline or become negative.
- Effects of smartphone adoption are relatively static (upward shifts).

- CDRs have already extensively employed to study mobility and communication behaviors.
 - commuting flows ([Phithakkitnukoon et al. 2012](#))
 - diseases transmission flows ([Wesolowski et al. 2016](#))
 - social network and mobility interaction ([Blumenstock et al. 2025](#))
- We incorporate the load sharing mechanism, which is more robust to:
 - location inference
 - communication intensity

- Most CDR-based migration studies inadequately utilize temporal data.
 - on monthly basis
 - between two separate periods
- We propose a two-stage home location estimation considering residential shifts.

DATA AND METHODS

Client Number	Duration	Start Time	End Time	Calling Number	Called Number	Cell ID
66ak2s5v	62.0	2013-08-31 09:32:08	2013-08-31 09:33:10	66ak2s5v	moyl2k57	3649
ltzkksuv	148.0	2013-08-31 09:33:55	2013-08-31 09:36:23	ltzkksuv	hjo0ksut	3B56
njo45k8v	46.0	2013-08-31 09:36:03	2013-08-31 09:36:49	8yro82d5	njo45k8v	394C
			⋮			

- Datasets include CDRs, clients profiles, and cell coordinates
- CDRs come from Sichuan, China, spanning from August 2013 to May 2014.
- After cleaning, ~0.5 billion monthly records involve 340,000+ numbers.

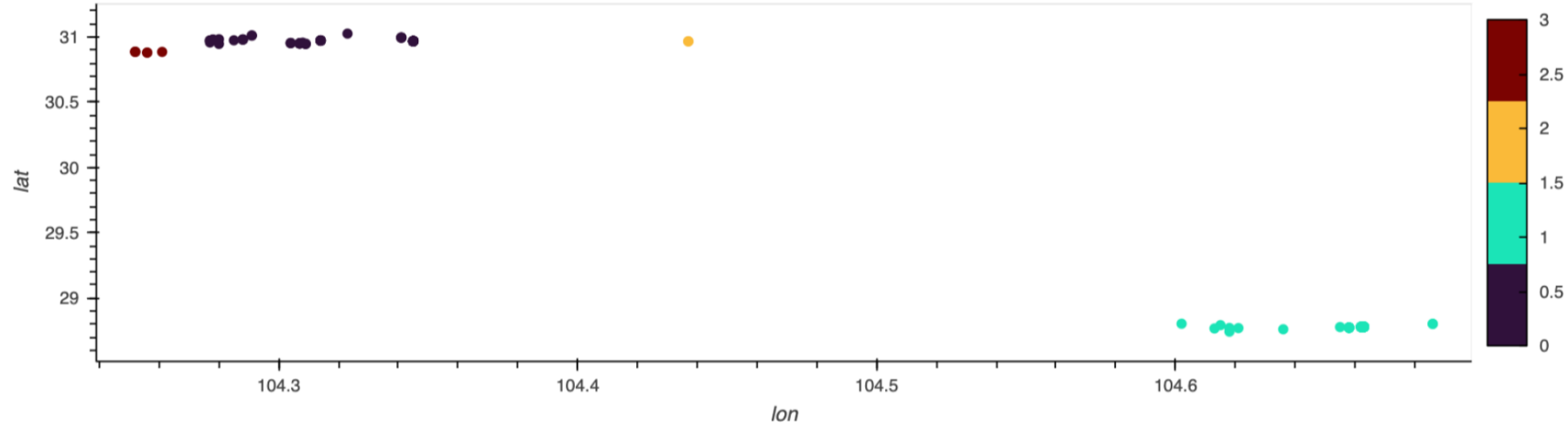
- We will proceed the content in the following order:
 1. identification of residential shifts and smartphone adoption
 - home location estimation
 2. construction of mobility and mobile communication outcomes
 - (i) radius of gyration, (ii) movement entropy, and (iii) eccentricity
 - (i) total duration, (ii) contact distance, and (iii) contact entropy
 3. Estimation Approach

- To identify residential shifts, we need to estimate home locations.
- Previously, home location estimation is not specifically designed to account for relocations.
- We propose a two-stage estimation approach encompassing:
 - first-stage spatial clustering
 - second-stage temporal filtering

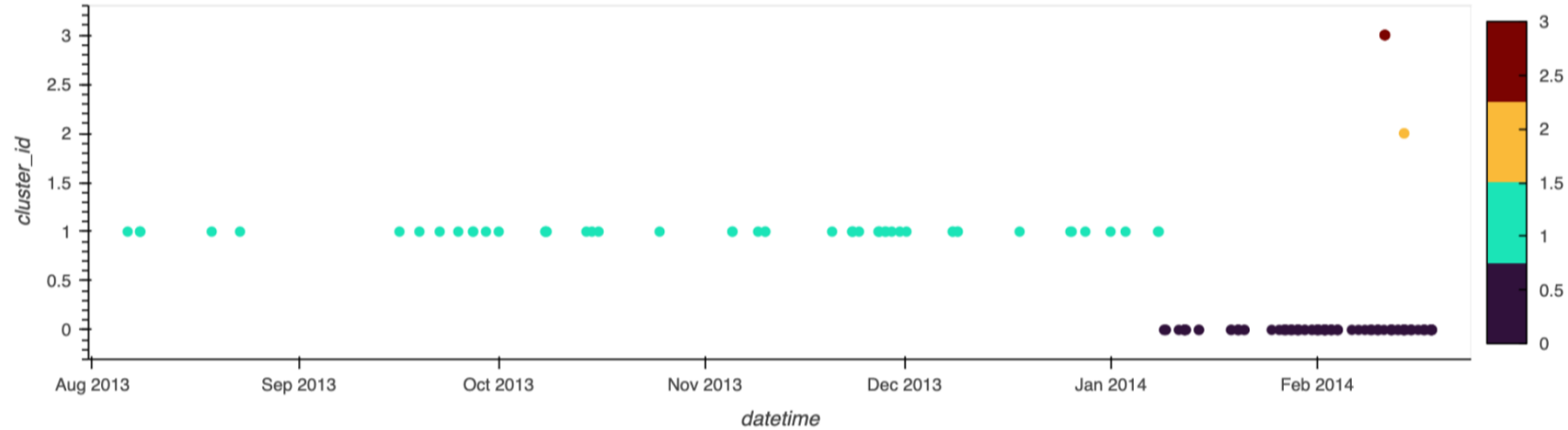
- Spatial clustering group observed locations corresponding to a stay location.
- We assume individuals spend the majority of time at home during nighttime.
- We apply DBSCAN on nighttime CDRs to obtain a set of nighttime clusters.

- Clusters serve calls for phone users.
- The goal of temporal filtering scheme is to identify “representative clusters”.
 - processing substantial calls
 - non-overlapping nature of service time interval
- The home locations are defined as home clusters’ centroids.

Spatial Clusters



Temporal Clusters



- Denote $M := \{1, \dots, 10\}$ as the set of monthly periods after indexing.
- A user is a shifting user associated with group $\mathcal{G}_g$ where $g \in \{4, 5, 6, 7\} \subset M$ if:
 1. user only changes home locations once throughout the sample period
 2. the two home locations are in different prefectures
 3. the shifting timing occurs in month g .
- Denote a group of non-shifting users as $\mathcal{G}_\infty$.

- A user is a smartphone adopter associated with group $\mathcal{G}_g$ if:
 1. user changes from a non-smartphone device to a smartphone model
 2. do not switch back to non-smartphone devices throughout the sample periods
 3. the adoption event occurs in month $g \in \{4, 5, 6, 7\} \subset M$
- Denote a group of non-smartphone users as $\mathcal{G}_\infty$.

Month	Residential Shifts		Smartphone Adoption	
	Shifting	Non-shifting	Adopting	Non-adopting
Nov. 2013	247	291,465	2,186	81,949
Dec. 2013	231	291,465	2,354	81,949
Jan. 2014	338	291,465	2,899	81,949
Feb. 2014	458	291,465	2,058	81,949

- We mainly operate on a projected location matrix $L_{i,m} \in R^{|B_{i,m}| \times 2}$.
 - the row is denoted as $(l_{i,m})_b$
- Projection transforms curved Earth coordinates to a flat plane.
- We employ AEQD projection with the center set to $(r_c)_{i,m}$ where

$$(r_c)_{i,m} = L'_{i,m} \hat{p}_{i,m}$$

with $\hat{p}_{i,m} \in R^{|B_{i,m}|}$ being the sample probability vector based on relative day counts.

- Radius of gyration $(r_g)_{i,m}$ quantifies the scope the activity area.

$$(r_g)_{i,m} = \sqrt{\sum_{b \in B_{i,m}} \hat{p}_{i,m,b} \cdot \| (l_{i,m})_b - (r_c)_{i,m} \|^2}.$$

- Movement entropy $\text{me}_{i,m}$ measures how unpredictable (diverse) spatial movement patterns are.

$$\text{me}_{i,m} = - \frac{\sum_{b \in B_{i,m}} \hat{p}_{i,m,b} \log(\hat{p}_{i,m,b})}{\log(|B_{i,m}|)}.$$

- Eccentricity $\text{ecc}_{i,m}$ evaluates to what extent the activity area spreads in an elliptical shape.

$$\text{ecc}_{i,m} = \sqrt{1 - \left(\frac{\lambda_{i,m,2}}{\lambda_{i,m,1}} \right)^2}$$

where $\lambda_{i,m,1}$ and $\lambda_{i,m,2}$ are the major and minor eigenvalues of the sample variance-covariance matrix, respectively.

- Mobile Communication is directional and we focus on the outgoing side.
- We further require outgoing calls should be reciprocated.
- The randomness of mobile communication is based on relative call duration.

- Contact entropy measures the diversity of mobile interactions.

$$\text{ce}_{i,m}^{\text{out}} = - \frac{\sum_{j \in V_{i,m}^{\text{out}}} \hat{p}_{i,j,m} \log(\hat{p}_{i,j,m})}{\log(|V_{i,m}^{\text{out}}|)}$$

where

$$V_{i,m}^{\text{out}} := \{j \in V \mid \text{user } i \text{ has once called user } j \text{ in month } m\}.$$

- Contact distance $cd_{i,m}^{\text{out}}$ quantifies the spatial reach of mobile interactions.

$$cd_{i,m}^{\text{out}} = \sum_{j \in V_{i,m}^{\text{out}}} \hat{p}_{i,j,m} \cdot d(\text{home}_{i,m}, \text{home}_{j,m}).$$

- Contact distance is an application of our two-stage home location estimation.

- Ideally, treatment effects should be evaluated under counterfactual scenarios.
- The average treatment effects on the treated (ATT) provides the guidance.

$$\mathbb{E}[Y_{i,t} - Y_{i,t}(\infty) \mid D_i = 1]$$

where $Y_{i,t}(\infty)$ is the counterfactual untreated outcome.

- Difference-in-differences (DiD) is an intuitive estimator for ATT.

$$\mathbb{E}[Y_{i,t} - Y_{i,t-1} \mid D_i = 1] - \mathbb{E}[Y_{i,t} - Y_{i,t-1} \mid D_i = 0]$$

- If trends in counterfactual untreated outcome are parallel, DiD can recover ATT.

$$\mathbb{E}[Y_{i,t}(\infty) - Y_{i,t-1}(\infty) \mid D_i = 1] = \mathbb{E}[Y_{i,t}(\infty) - Y_{i,t-1}(\infty) \mid D_i = 0]$$

- Canonical DiD is under settings of two groups and two periods.
- To examine effect dynamics, multiple periods DiD are required.
- We have four treated groups so extension to multi-group is necessary.

- Therefore, our focus of treatment effect shifts to:

$$ATT(g, m) = \mathbb{E}[Y_{i,m} - Y_{i,m}(\infty) \mid G_{i,g} = 1].$$

- The DiD estimator becomes:

$$\mathbb{E}[Y_{i,m} - Y_{i,g-\delta-1} \mid G_{i,g} = 1] - \mathbb{E}[Y_{i,m} - Y_{i,g-\delta-1} \mid G_{i,\infty} = 1].$$

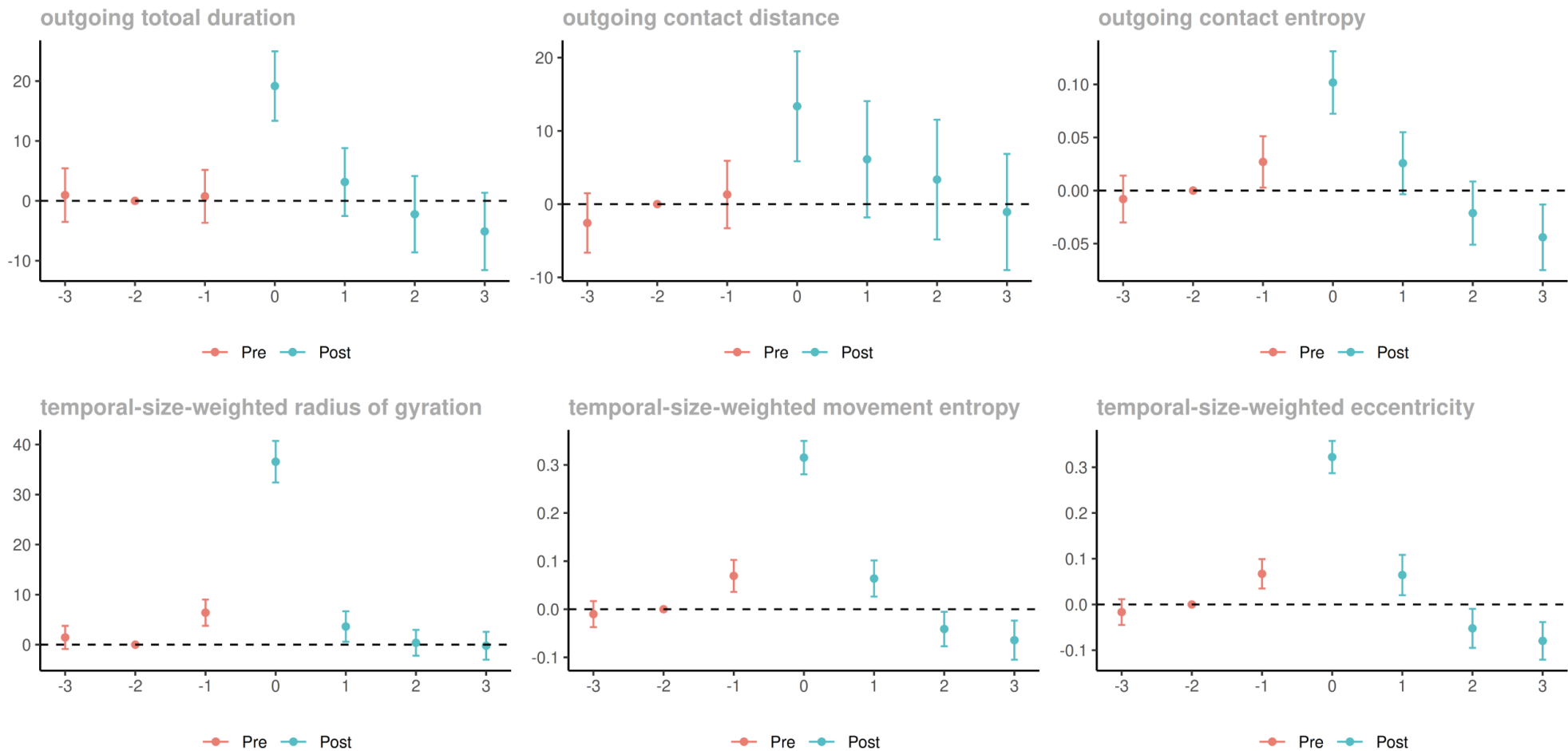
- The underlying parallel trends assumption:

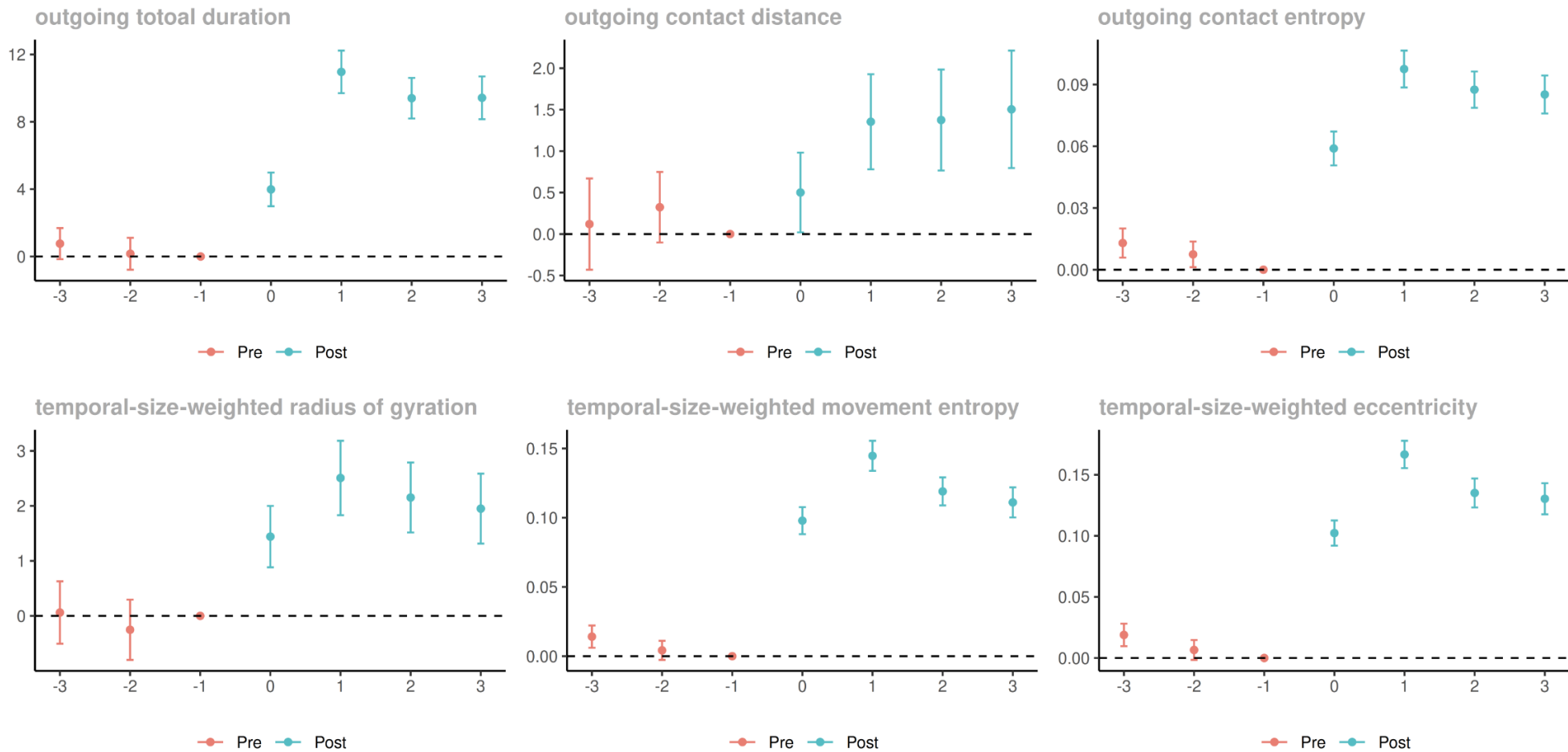
$$\mathbb{E}[Y_{i,m}(\infty) - Y_{i,g-\delta-1}(\infty) \mid G_{i,g} = 1] = \mathbb{E}[Y_{i,m}(\infty) - Y_{i,g-\delta-1}(\infty) \mid G_{i,\infty} = 1].$$

RESULTS

- We adopt the estimation method proposed by [\(Callaway and Sant'Anna 2021\)](#).
- For residential shifts, $\delta = 1$ while regarding smartphone adaption, $\delta = 0$.
- We will use the event study plot to evaluate the plausibility of parallel trends assumption.
- The following formula is used to recover an event study:

$$\theta(e) = \sum_{g=4}^7 \mathbb{P}(G_{i,g} = 1) ATT(g, g + e) \mathbb{1}[g + e \leq 10]$$





DISCUSSIONS

- Our findings suggest distinct policy implications for two transitions.
- Our methodological contribution lies in accounting for load sharing effects.
- We acknowledge that we did not rigorously test for endogeneity, as both treatments are self-selected.

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